Perceptual Spatial Audio Simulation and Reproduction

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Objective

- Making listener feel transported to a different auditory scene
- This talk focuses on virtual scene, but same concepts can be applied to real (recorded) scene
- ► Applications in video games, VR/AR, architectural acoustics..



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Outline

Perceptual-based Reproduction of Plane Waves Limitations of physical-based models Localization uncertainty of phantom sources

Perceptual-based Simulation of Room Acoustics Limitations of physical-based models Scattering Delay Network

Conclusions Perceptual Soundfield Reconstruction

Acknowledgements

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About this talk

- Interrupt me!
- Details and maths left to references (at the end)
- Demos after this talk

Outline

Perceptual-based Reproduction of Plane Waves

Limitations of physical-based models Localization uncertainty of phantom sources

Perceptual-based Simulation of Room Acoustics

Conclusions

Reproduction of plane waves

- Let's start from a relatively simple problem
- We want to reproduce a plane wave, and we assume that incident direction, θ_s, is known
- Relevant case for spatial audio objects (MPEG-H)
- The plane wave could represent e.g. a single sound source or a wall reflection
- If we solve this, summation of plane waves trivial (linearity)

Reproduction of plane waves

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Reproduced plane wave should be:

- 1. perceived in correct direction (low localization error)
- 2. easy to localize (low localization uncertainty)
- in the largest possible area (large sweet spot)

Physical and cross-talk cancellation methods

	SFR	Multichannel	2-Channel
Channel count	50+	< 10	2
Equipment Load	High	Commercially viable	Low
Psychoacoustics	None	Required	Critical
Sweet Spot	Large	Medium, small group	Small, individual

 Sound Field Reconstruction (SFR) provide mathematically elegant solution (e.g. HOA, WFS)...

- ▶ but large number of loudspeakers: $r = \frac{c}{f} \frac{N}{2e\pi}$, e.g. f = 10 kHz, r = 0.1 m $\Rightarrow N = 56$
- 2-channel (cross-talk cancellation) methods, only two channels...

▶ but small sweet spot (e.g. [Rose et al., 2002] report ≈ 3 cm)

We'll focus on multichannel systems with limited equipment load, which need to leverage somehow psychoacoustics effects

How many loudspeakers to use to reproduce plane wave?

- First question: should we use > 2 loudspeakers for each source?
- Active intensity (AI) fields for plane waves



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- Fluctuation speed depends on angle between loudspeaker pair
- Answer: use only the two loudspeakers closest to direction of plane wave [De Sena et al., 2013]
- This reduces problem to good ol' stereophonic reproduction 9/43

Frequency-independent inter-channel differences

- What should we do with these two loudspeakers?
- Consider frequency independent inter-channel time differences (ICTD) and level differences (ICLD)
- ICTD/ICLDs lead to low coloration [Spors et al., 2013], which is most important attribute for sound quality [Rumsey et al., 2005]



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 As long as ICTD below echo threshold, listeners will perceive a fused "phantom source" (summing localization effect)

Position of phantom source

- Position of phantom source depends on ICTD/ICLD pair
- Same position can be achieved with different ICTD/ICLD pair
- One can use e.g. intensity only (most commercial sound recordings), time only, or time-intensity



Not all ICTD/ICLD pairs are created equal

- ICTD/ICLD pairs lead to different localization uncertainty
- Computational model in [De Sena et al., 2019]:



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Not all ICTD/ICLD pairs are created equal

- ICTD/ICLD pairs lead to different localization uncertainty
- Computational model in [De Sena et al., 2019]:



- Inconsistent ICTD/ICLD lead to high uncertainty
- Vertical bands: 2 replicates at one ear, but only 1 at other

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Intensity-only methods have lowest uncertainty

Localization uncertainty in off-center positions



- Listener moves 10 cm to the right, then entire plot moves (approximately) to the right
- Now intensity methods lie in area with high uncertainty!
- Time-intensity largely avoids this area

What is happening?

 Useful to define "relative" ICTD/ICLD as observed by the listener:

$$\begin{aligned} \text{RICLD} &\approx \text{ICLD} - \frac{x}{r_l} \frac{20 \sin\left(\frac{\phi_0}{2}\right)}{\log_e(10)} \ , \\ \text{RICTD} &\approx \text{ICTD} - x \frac{2}{c} \sin\left(\frac{\phi_0}{2}\right) \ . \end{aligned}$$

where ϕ_0 base angle, x lateral displacement and c speed of sound



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where ϕ_{0} base angle, x lateral displacement and c speed of sound



- E.g. consider ICTD = 0 ms and ICLD = 5 dB (left leading)
- ▶ RICTD = -0.29 and RICLD = 4.78, which are contradicting
- Adding a small ICTD will delay the onset of contradicting RICTD/RICLD pairs

Section Conclusions

- Intensity methods have lower uncertainty in center
- Time-intensity reduces uncertainty in off-center positions
- More ICTDs (within limits) ⇒ lower uncertainty off-center
- Trade-off between uncertainty in center and off-center
- In general, unknown how much listener drifts from center
- ▶ We can e.g. set max ICTDs such that avoid vertical bands
- See [De Sena, 2019] for details of parametrization



Extensions

- Concepts recently extended to third dimension [Erdem et al., 2019]
- Time-intensity in the vertical dimension leads to a perceived improvement in stability of sweet spot [Andrew-Jones, 2019]

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Perceptual Simulation of Room Acoustics

- So far we discussed how to render single plane waves, e.g. individual sound sources
- How do we simulate the acoustics of an entire space?



Overview



- Overview of more than 50 years of room acoustic simulation in [Välimäki *et al.*, 2012], [Välimäki *et al.*, 2016] and [Hacıhabiboğlu *et al.*, 2017]
- Wave-based models are the most accurate ones

Rendering of dynamic scenes with wave models

- In a complete wave model of a room:
 - sources and listeners can be moved
 - spatialized using microphone arrays or "virtual dummy head"

Example: How expensive is a wave-based model?

- Audio bandwidth = 20 kHz \approx 1.27 cm wavelength
- Spatial samples every 0.63 cm or less
- ▶ $3.65 \times 5.8 \times 2.4$ m room requires > 200 million grid points
- ▶ 3D finite difference model requires one multiply and 6 additions per grid point \Rightarrow 70 billion FLOPS at $F_s = 50$ kHz
- ▶ $30 \times 15 \times 6$ m concert hall requires > 3 quadrillion FLOPS

Geometric Models

- Geometric acoustics models have lower complexity
- Source emits rays in all directions
- Specular reflections (diffraction also possible)
- Build impulse response by recording time and amplitude at receiver
- Choice of receiver size and number of rays is critical





Room Impulse Response (RIR)



RIR components:

- Direct line-of-sight
- Early reflections: relatively sparse first echoes
- Late reverberation: so densely populated with echoes that it is best to characterise the response *statistically*.

Rendering of dynamic scenes with geometric models

- When source moves recalculate RIR
- Still need to run a convolution with anechoic sound sample

Example:

- ► $T_{60} = 2$ s, $F_s = 50$ kHz: convolution requires 5 *billion* FLOPS
- ► Three sources and two listening points (ears) ⇒ 60 billion FLOPS
- 20 dedicated CPUs clocked at 3 Gigahertz
- FFT convolution is faster, if throughput delay is tolerable (and there are low-latency algorithms)
- If physical accuracy not needed, perceptual methods provide better option

Digital waveguide networks (DWN)



- Network of bi-directional delay lines connected at scattering junctions [Smith, 1985]
- Can be interpreted as network of acoustic tubes
- Question: How to set parameters (delay line lengths, network connections, scattering matrix..)?

Scattering delay network (SDN) [De Sena et al., 2015]

Design DWN based on characteristics of a physical room



- Position nodes at first-order reflection points
- Fully connected DWN network
- Mono-directional lines for source-junction and junction-mic

Each incoming delay line on the microphone rendered as if it was a plane wave, using methods discussed in first part of talk

SDN: approximation of geometric acoustics

- Correct rendering of LOS and first-order reflections in time, amplitude and direction
- Approximation of second and higher-order reflections, less important perceptually



SDN: approximation of geometric acoustics

- Correct rendering of LOS and first-order reflections in time, amplitude and direction
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SDN: alternative interpretation

Can also be interpreted as model of network of acoustic tubes



Advantages

- Less resources spent for less important part of room impulse response (late reverberant tail)
- Also, not shown here:
 - similar frequency-dependent RT60 to full-scale models
 - similar echo density to full-scale models
 - sufficient modal density
 - axial resonant modes of room well approximated
- Orders of magnitude faster than convolution (alone!)
- All parameters of model derived from physical properties

Advantages w.r.t. other delay networks:

- No need for hands-on parameters tuning
- Physical interpretation ⇒ spatialisation possible, e.g. using microphone array as defined in the first part of the talk

Perceptual evaluation [Djordjevic, 2019]

- Headphone-based (binaural) comparison (28 subjects)
- Higher pleasantness (p < 0.001) and naturalness (p < 0.001) than comparable delay-network based method



Method

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Conclusions

 Physical methods for spatial audio require significant resources

- Recording and reproduction: many loudspeakers
- Room Acoustics Simulation: high computational complexity
- Known perceptual effects allow to reduce requirements
 - Recording and reproduction: exploit summing localization effect and small ICTDs to achieve larger sweet spot
 - Room Acoustics Simulation: spend more resources for important perceptual features

Thanks for your attention! (demos to come)

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Questions?

Further Reading

Spatial Sound Overview

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Parametrization of ICTD (time-delay microphone array)

 Convenient now to specify ICTD and ICLD functions of θ_s, including a parameter taking into account how much we rely on ICLD compared to ICLD (time-intensity trade-off)

Parametrization of ICTD (time-delay microphone array)

- Convenient now to specify ICTD and ICLD functions of θ_s, including a parameter taking into account how much we rely on ICLD compared to ICLD (time-intensity trade-off)
- Let the ICTD be defined according to the delay that would be observed on two spatially separated microphones as in figure:

$$\mathsf{ICTD}(\theta_s, r_m) = 2\frac{r_m}{c}\sin\left(\frac{\phi_0}{2}\right)\sin\theta_s$$



where r_m is the array radius

This parametrization is convenient since it allows to easily extend to the case of recording with circular arrays

Parametrization of ICLDs



Psychoacoustic curves give only extreme positions
Could use different curves, for instance [De Sena et al., 2013]:

$$\mathsf{ICLD}(\theta_s, r_m) = 20 \log_{10} \frac{\sin\left(\frac{\phi_0}{2} + \beta(r_m) + \theta_s\right)}{\sin\left(\frac{\phi_0}{2} + \beta(r_m) - \theta_s\right)}$$

where $\beta(r_m)$ is a parameter used to fit the extrema

With this parametrization, a higher r_m leads to more reliance on ICTDs and lower ICLDs

Localization uncertainty as a function of array radius





- higher uncertainty for observer in the center
- Iower uncertainty for observer away from the center
- Help reconcile long-stanging debate between academia (preferring intensity methods) and sound engineering community (also using time-intensity methods)

Choosing array radius parameter

- Trade-off between center and off-center
- If we don't know how far the listener will move, then avoid vertical bands mentioned before, which leads to

$$r_m = r_h \frac{\cos\left(\theta_e - \frac{\phi_0}{2}\right) + \frac{\phi_0}{2} + \theta_e - \frac{\pi}{2}}{2\sin^2\left(\frac{\phi_0}{2}\right)}$$

where θ_e is angle of ear and r_h is head radius

- Interestingly, larger head, means larger array!
- Examples:

•
$$\phi_0 = 60^\circ$$
, $r_h = 9$ cm and $theta_e = 100^\circ$, then $r_m = 0.19$ cm
• $\phi_0 = \frac{360^\circ}{5} = 72^\circ$, $r_h = 9$ cm and $theta_e = 100^\circ$, then $r_m = 0.16$ cm.

More complex situations

- So far we assumed we know the direction of the plane wave
- Possible approach is to estimate direction of arrival (DOA) and then artificially add ICTD/ICLD
- If multiple incoming waves, can estimated DOAs in time windows (see e.g. Dirac/SDM/SIRR)

Perceptual Soundfield Reconstruction

- Another approach is to connect each microphone with loudspeaker
- Design the microphone directivity pattern to approximate ICLD(θ_s, r_m) [De Sena et al., 2013]
- This makes DOA estimation unnecessary!

Perceptual Soundfield Reconstruction (PSR) Array

5 channels, uniformly distributed, 15.5 cm radius (optimal according to



Microphone directivity that approximates $ICLD(\theta_s, r_m)$

- First-order microphones (e.g. cardioid, hypercardioid) not sufficiently directive for this purpose
- Second-order already sufficient (e.g. differential microphone array [De Sena et al., 2011])



Results of PSR formal listening experiments:

- Comparable performance in the center of the array...
- but larger sweet-spot